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Per D. Biggs, FSS-16 Date: 4-2-96
By M. Holley, CIC-14 Date: 5-16-96

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LA - 183 A

This is copy 2 of 25 copies

December 21, 1945

This document contains 7 pages

CRITICALITY OF THE WATER BOILER, NUMBER OF DELAYED NEUTRONS,
AND DISPERSION OF THE NEUTRON EMISSION PER FISSION

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CRITICALITY OF THE WATER BOILER, NUMBER OF DELAYED NEUTRONS,
AND DISPERSION OF THE NEUTRON EMISSION PER FISSION

Upon re-examination of LA-183 in the course of preparatory work for the Technical Series it was discovered that there were errors in this report.

Table I turned out to contain faulty values for the composition of the solutions which strongly influenced our results. Table I is hereby appended with all corrections made.

p. 26: The last paragraph should read;

Using these cross sections one obtains the following results;

	Scattering Cross Section per cc	Absorption Cross Section per cc
Mock Solution	2.749 cm ²	0.0965 cm ²
Normal 25 Solution	2.734 cm ²	0.0897 cm ²
<u>Ratio:</u>	1.005	1.075

.....

p. 27: This page should read;

We see that the scattering cross section is almost the same, and any effects due to it may be neglected. As far as absorption goes, our bubble was more effective than it should have been, consequently it gave higher values of ΔK .

$$\overline{\Delta K}_{corrected} = 1.98/1.075 = 1.84 \text{ gms of 25}$$

The ΔK by Eq. (14) is

$$\Delta K = \frac{\text{Volume of bubble}}{\text{Volume of boiler}} = \frac{15.17 \text{ cm}^3}{15 \times 10^3 \text{ cm}^3} = 1.01 \times 10^{-3}$$

with the same uncertainty in the volume of the boiler. Thus we get that:

$$1 \text{ gm of 25 is equivalent to } 1.01 \times 10^{-3} / 1.77 \text{ units of } \Delta K$$

$$1 \text{ gm of 25} = 5.48 \times 10^{-4} \Delta K$$

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i.e., calling the conversion factor c_1 ;

$$c_1 = 5.48 \times 10^{-4} \Delta K/gm$$

B. The γ_f and τ_p Experiment - same for pages, 27, 28, and 29.

.....

p. 30: The second paragraph of this page should read:

The τ_p on the other hand can be obtained from the 884-rpm curve since the phase lag is large giving

$$\tau_p \sim 135 \pm 20 \text{ microseconds}$$

The last line should read:

$$\text{i.e., if } c_1 = 0.000548 \Delta K/gm, \gamma_f = 0.00855$$

.....

p. 31 and 32: These pages should read:

V. Discussion of Results:

The value of c_1 should be fairly good and applicable to the case of the γ_f and τ_p experiment since the concentration of 25 in the boiler was identical. Thus no change in c_1 due to that effect is expected. The cross sections used are known to within a few percent and better.

In the γ_f and τ_p experiment it can be seen that large errors must be expected. If, however, we take the value of $\gamma_f = 0.00855$ at face value we may draw the following conclusions:

From LA-101 we see that

$$\bar{v}_p^2 - \bar{v}_p = Y(\bar{v}_p)^2 (\gamma_f)^2 / \epsilon$$

Y was found to be 4.17. A preliminary value of $\epsilon = 3.60 \times 10^{-4}$ was given in LA-101.

Since then a better value of the efficiency of the 25 chamber¹¹⁾ has been obtained giving

11) See LA-101, page 11 where $\epsilon = 2.54 \times 10^{-7}$ counts/fission was given. The value should be 2.42×10^{-7} counts/fission.

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the BF_3 chamber efficiency as 3.51×10^{-4} . If we take $\bar{\nu}$ to be 2.47 then $(\bar{\nu}_p)^2 = 6.10 (1-f)^2$. Hence

$$\bar{\nu}_p^2 - \bar{\nu}_p = 5.30 (1-f)^2$$

This brings us to the question regarding the value of f . Chicago measurements vary from 0.006 to 0.008 giving $\bar{\nu}_p^2 - \bar{\nu}_p$ varying from 5.22 to 5.24. This shows that $\bar{\nu}_p^2 - \bar{\nu}_p$ does not depend sensitively on f and thus we may take

$$\bar{\nu}_p^2 - \bar{\nu}_p = 5.2$$

In report LA-471 an attempt has been made to calculate γ in first approximation only which yielded a value of $\gamma = 1.65$ as an upper limit, using this value for γ , $f = 0.052$. It should be remembered that the theoretical calculation of γ is very crude and this value of f is therefore in reasonably good agreement.

It would be a mistake to infer anything very definite regarding the actual number of neutrons emitted from each fragment.

It is also not fair to deduce anything regarding the question of immediate versus evaporated emission of neutrons on fission. It can be shown that if one assumes that neutrons evaporate from each fragment, i.e., 1.25 neutrons per fragment on the average, we get values of $\bar{\nu}_p^2 - \bar{\nu}_p$ very close to those expected from direct splitting.

The value of $\bar{\nu}_p^2 - \bar{\nu}_p$ should thus be used only as an entity in itself for such calculations as the probability of predetonation where it is needed.

The value of $\tau_p = 135 \pm 20$ microseconds is interesting as a differential quantity of the particular water boiler since it confirms theoretical calculation as to its order of magnitude.

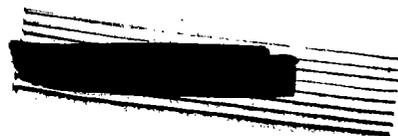
ADDITIONAL REMARKS

The value of γf expressed in grams, i.e., 15.6 grams is unaffected by our change in c_1 . The value of γf in grams does not depend on c_1 at all in the case of the direct-analysis method. In the case of the reproduction method (Case II) only the ratio of $\hat{\tau}_p/\gamma f$ matters, which is very insensitive to a change in c_1 . This can be seen from Eq. (45) and (46). We note from Eq. (45) that $\gamma f \sim c_1$ and from (46) that $\hat{\tau}_p \sim c_1/(1-f)$ thus

$$\hat{\tau}_p/\gamma f \sim 1/(1-f)$$

which is not very sensitive to c_1 . Thus our value of γf in grams is unaffected.

$\hat{\tau}_p$ itself is essentially proportional to c_1 when evaluated from the direct analysis method. This method yields $\hat{\tau}_p = 132$ microseconds from the 884-rpm data by use of Eq. (46) as a first approximation. The dashed curve of Fig. 8 is the experimental curve as originally shown in Fig. 7 where the limits of error are indicated. Fig. 8 also shows the theoretical points calculated by the use of the reproduction method Case I, i.e., Eq. (28). For the calculation of the theoretical points the values of $c_1 = 5.48 \times 10^{-4}$ and $\gamma f = 0.0085$ were used and five values of $\hat{\tau}_p$ tried, namely $\hat{\tau}_p = 90, 120, 132, 140$ and 150 microseconds. Curves are actually drawn in for only two sets of points. A comparison with Fig. 7 shows that the experimental phase shift is best reproduced by a $\hat{\tau}_p \sim 135 \pm 20$ microseconds. It can be seen that the error in $\hat{\tau}_p$ is probably of the order 20 microseconds as indicated.



p033:

TABLE I

A. Boron-Bubble Experiment

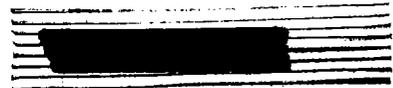
Composition of Meek Solution and of Normal 25 Solution at 39° C

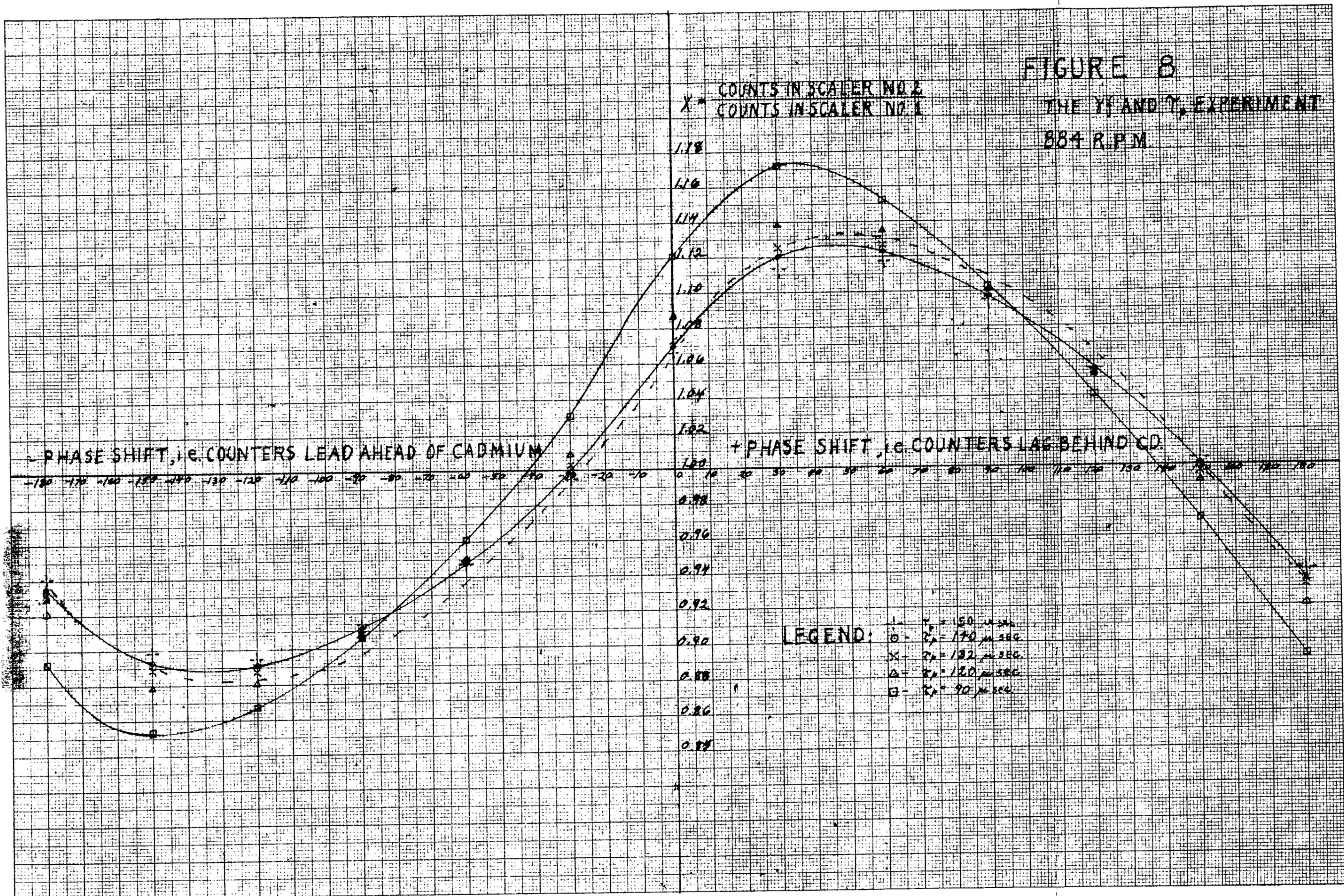
Element	No. of gm/cm ³ in normal 25 solution	No. of gm/cm ³ in meek solu- tion	Absorption cross section used barns	Scattering cross section used barns
25	0.03878	0.0000927	640 ¹²⁾	---
28	0.2256	0.2247	12 ¹⁴⁾	8.2
B	none	0.001749	72 ¹³⁾	---
H	0.105	0.1059	0.3	41
O	0.942	0.9404	0.0016	4.2
S	0.0357	0.0303	0.47	1.5

12) See LA-140.

13) Effective cross section including effect of high-energy neutrons, page 26.

14) " " " " " " " " " " as calculated
by E. Fermi.





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