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DHC: A DIURNAL HEAT CAPACITY PROGRAM FOR MICROCOMPUTERS*

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ABSTRACT

Diurnal heat capacity is a useful parameter for estimating the temperature swing to be expected in a direct gain passive solar building. This is important to know because a common problem in these buildings is excessively large swings due to an inadequate amount of heat storing thermal mass within the space. The DHC program calculates the diurnal heat capacity for any combination of homogeneous or layered surfaces using closed-form harmonic solutions to the heat diffusion equation. The theory is described, a basic program listing is provided, and an example solution printout is given.

INTRODUCTION

Diurnal heat capacity is a measure of the ability of a building to store heat and return heat on a daily basis. It is important in a direct gain passive solar building, for example, because some of the solar heat entering the building is stored in building mass and contents during the day and released later the next night. It can also be important in night-vent summer cooling in which the building is cooled by natural or forced ventilation at night; the mass of the building then absorbs heat during the next day and the cycle is repeated. The important characteristic of these two examples is the repeating 24-hour nature of heat storage and heat return. This cyclical behavior is called diurnal. Diurnal heat capacity is especially useful in estimating the swing in room temperature in a direct gain building or the cooling load reduction in a night-vent situation.

Not all of the mass in a building will respond equally to a diurnal cycle. Mass that is deep within a wall, for example, is insulated from the give-and-take at the surface by the intervening layers of the wall and will, therefore, not cycle as much in temperature as mass near the surface. Furthermore, there is time delay associated with conduction of heat into the wall and the return of heat to the surface 12 hours later. This time delay means that the cycles of wall surface temperature and wall surface heat flux are up to 6 hours out of phase.

The diurnal heat capacity of a building is always less than the total heat capacity (calculated simply by determining the total mass of each material and the respective heat capacity of that material, and summing up the products). Diurnal heat capacity can be calculated if the nature of the thermal coupling at each surface is known and if the wall surface constructions and material properties are known. A convenient mathematical approach is to use harmonic analysis because

of the cyclical nature of the temperature and heat flows. Because the waveform of the response tends to always be the same, it is sufficient to calculate the response for a pure 24-hour sine wave and apply a correction factor to account for higher harmonics. The diurnal heat capacity is simply the heat stored and then returned to the room each 24 hours per unit of room temperature swing--assuming a pure sine-wave input. It has the same units as total heat capacity, Btu/°F or kWh/°C or J/°C.

DHC is a microcomputer program that implements the calculation of diurnal heat capacity. It is intended to be used as an aid during the design process. It is written in BASIC. The calculation is in three stages: (1) determining the diurnal heat capacity (per unit surface area) of each wall, floor, or ceiling type based on input data describing the construction, and a built-in library of material properties (or user-input properties), (2) aggregating the diurnal heat capacities of each surface enclosing a room by vector addition to determine the diurnal heat capacity of each room in the building, and (3) aggregating room diurnal heat capacities to determine whole-building diurnal heat capacity.

The mathematics behind the program are fairly complicated, involving complex numbers and vector algebra; however, the program user is isolated from this complexity. The program is menu driven with built-in prompts that minimize the need for recourse to a manual. The code outputs are room and building diurnal heat capacities. For convenience, wall R-values, total mass, and total heat capacity are also calculated and output. Once known, the diurnal heat capacity can be used in a very simple equation to predict peak-to-peak diurnal room temperature swing.

The purpose of the paper is to make the program listing available and encourage others to incorporate the procedures, either as is or modified, into their

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own computer work, or into public-domain or proprietary programs. DHC is public domain; the length is 227 lines.

THEORY

The problem facing the designer is to predict temperature swings so as to know when corrective design measures are necessary. The analysis should be simple enough for easy use and yet comprehensive enough to account for the primary effects. The method presented here does not account for inside-temperature swings caused by the swing in outside temperature because this is normally small and out of phase with the direct gain swing. Temperature swings resulting from variations in internal-heat generation could be predicted by a minor extension of the method.

In the initial analysis, a 24-hour sine wave will be considered; this is the diurnal portion of the building response. At a later stage a modification will be made to account for higher harmonics. The final result is an estimate of the temperature swing resulting from direct gain during a sequence of clear midwinter days.

The one-dimensional heat diffusion equation can be solved in closed form for a single frequency.¹ Consider a slab of material of thickness (X) with sinusoidal temperatures (T) and heat fluxes (q) at faces 1 and 2. The result is

$$q_1 = q_2 \cosh \gamma X + T_2 k \sinh \gamma X, \quad (1)$$

$$T_1 = T_2 \cosh \gamma X + (q_2/k\gamma) \sinh \gamma X, \quad (2)$$

where $\gamma = (1+i)\sqrt{\pi\rho c/Pk}$, $i = \sqrt{-1}$, P = period of the oscillation (1 day).

We are interested in the heat transferred through face 1 during one-half cycle compared with the peak-to-peak temperature swing at face 1. This is the diurnal heat capacity, referred to here as dhc. This is closely related to the thermal admittance, y_1 , used by Davies:¹

$$y_1 = q_1/T_1; \quad dhc = (P/2\pi)y_1,$$

where q_1 and T_1 refer to the peak departure of q_1 and T_1 from their average values.

If the wall is infinite in thickness, $dhc_{\infty} = \sqrt{P\rho c/2\pi}$.

If the wall is finite and $q_2 = 0$, $dhc = dhc_{\infty} Zg$, where $Z = \tanh \gamma X$ and $g = e^{i\pi/4}$.

The magnitude and phase of Zg can be expressed in terms of real variables as follows:

$$\text{mag}(Zg) = \sqrt{(\cosh 2\tau - \cos 2\tau)/(\cosh 2\tau + \cos 2\tau)},$$

and

$$\text{phase}(Zg) = \arctan(\sin 2\tau/\sinh 2\tau) + \pi/4,$$

where $\tau = X\sqrt{\pi\rho c/Pk}$.

The magnitude of dhc is shown in Fig. 1 for several common building materials. The phase varies from 0° for thin materials to 45° for thick materials.

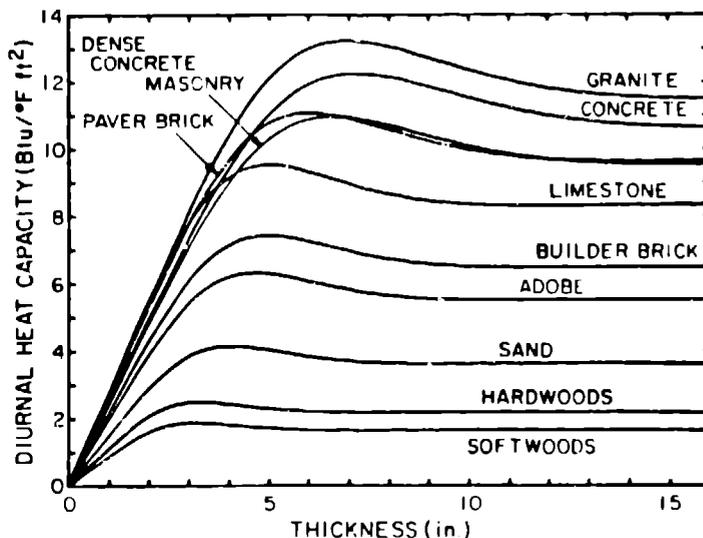


Fig. 1. Diurnal heat capacities of various materials as a function of thickness. For interior partition walls, use 1/2 the total wall thickness to determine the diurnal heat capacity for each of the two surfaces. These curves apply to radiation-coupled mass.

If the wall consists of several layers of different materials, the dhc of the composite wall can be determined from y_1 using Eqs. (1) and (2) as follows:

$$y_1/a = (y_2/a + Zg)/(1 + Zy_2/ag), \quad (3)$$

where $a = \sqrt{2\pi k\rho c/P}$.

This equation is used repetitively, working from the outside layer inward, layer by layer, by setting y_2 for each subsequent layer equal to y_1 for the previous layer at the interface. The procedure and derivations are outlined in more detail by Davies¹ and Balcomb.²

RELATIONSHIP BETWEEN dhc AND ROOM-TEMPERATURE SWING

Thus far, diurnal heat storage has been related to surface-temperature swing. To use this result, we must somehow establish a relationship between room-temperature swing and surface-temperature swing. The total heat stored will be a sum of heat stored in the various surfaces that enclose the room in question. At this point the procedure becomes approximate because a precise solution is overly complex.

We distinguish two primary categories of situation: those in which the incoming energy is radiatively coupled to the surface (either by shortwave solar radiation or by longwave infrared radiation from other surfaces), and those convectively coupled to the room air. In the first case the air temperature follows the wall-surface temperatures; in the second case the wall temperature follows the air temperature. Furthermore, thermal comfort is related to a composite of air temperature and mean radiant temperature. We simplify by equating room temperature and wall-surface temperature in radiatively coupled situations and by accounting for an air-film impedance in the case of convectively coupled situations. To compute dhc for the convectively coupled case, the air-film impedance, $1/U$, is added vectorially to the wall impedance, $1/y_1$, to obtain a modified total impedance that is then used to calculate dhc (U is the air-film conductance, normally 1.5 Btu/h °F ft²).

PROCEDURE

Diurnal Heat Capacity of a Whole Room

The diurnal heat capacity of a whole room or a whole building can be determined by aggregating the individual diurnal heat capacities of all surfaces acting in parallel.³ This will be called DHC. Technically, it is the vector sum of all the DHC values for all the various surfaces that enclose the room.

$$DHC = \sum_i A_i \cdot dhc_i \quad (4)$$

where A_i is the area of the i th surface, ft^2 , and dhc_i is the dhc of the i th surface, $Btu/^\circ F ft^2$,

so that DHC has units of $Btu/^\circ F$.

The first step is to categorize the exposed mass surfaces inside the building. Two categories are distinguished:

Radiation-coupled mass. Solar energy is transferred to the storage mass by either solar or thermal radiation. The mass must be either within the space that the sunshine enters or form an enclosing surface of the space. It is not necessary for the mass to be in the direct sun, but there must be a direct line of sight between the mass surface and absorbing or reflecting surfaces that are in direct sun. For these surfaces the dhc is calculated in terms of surface temperature.

Convection-coupled mass. Solar energy is transferred to the storage mass by natural convection of warm air. Doorway or other convection openings must be provided with a total open area of at least 4% of the storage-mass surface, or 2% of the storage-mass surface if the openings are spaced more than 6 vertical feet apart.

Massive floors require special consideration. Floors in direct gain rooms that receive no direct sun are considered convection coupled because of the lack of line-of-sight radiative coupling. Floors not in direct gain rooms should be ignored because of very poor convective coupling.

Next look up values of dhc from appropriate tables for each material type for the appropriate thickness and form the appropriate $(dhc) \cdot (A)$ products. Tables of both radiation-coupled and convection-coupled dhc have been compiled by Balcomb² for common building materials. Next, calculate the DHC of the furniture and room air. This can be estimated as 2 $Btu/^\circ F$ for each ft^2 of floor area for typical furnishings.

Estimation of Room-Temperature Swing

The amount of heat stored in the building during clear winter days can be estimated knowing the direct gain glazing area, the solar penetration per square foot of glazing area, and the heat-loss characteristics of the building. A heat balance is calculated over the 12-hour period from 0600 to 1800, accounting for solar gains plus internal heat minus heat losses. The heat losses are calculated based on the total heat-loss coefficient of the building (TLC) and the difference between average inside temperature and average outside temperature.

The energy balance described above can be put in equation form as follows:

$$DHC \cdot \Delta T(\text{swing}) = Q_s \cdot A - (T_r - T_a)TLC/2 + Q_i/2 \quad ,$$

where $\Delta T(\text{swing})$ = peak-to-peak room-temperature swing,
 T_r = daily average room temperature,
 T_a = daily average ambient temperature,
 Q_s = clear-day solar gains per unit area of direct gain glazing,
 Q_i = daily internal heat (assumed uniform), and
 A = direct gain glazing area.

If the building uses no auxiliary heat (the normal case in a passive building on a clear winter day), a daily heat balance gives

$$Q_s \cdot A = (T_r - T_a)TLC - Q_i \quad .$$

Therefore,

$$\Delta T(\text{swing}) = 0.50 Q_s \cdot A/DHC \quad .$$

A factor can be used to account for higher harmonics. From study of typical profiles we find:

$$\Delta T(\text{swing, actual}) = 1.22 \cdot \Delta T(\text{swing, 24-h harmonic}) \quad .$$

$$\text{Thus, } \Delta T(\text{swing}) = 0.61 Q_s \cdot A/DHC \quad . \quad (5)$$

Spot checks have been made to assess the accuracy of the procedures outlined. Comparisons made between the $\Delta T(\text{swing})$ calculated using involved thermal-network computer simulations and the simplified procedures proposed here show correspondence within 5 to 8%.

COMPUTER PROGRAM

The DHC computer program implements the calculation of DHC as given by Eq. (4). When the program is run, a list of 5 menu options are presented as follows:

1. List of materials,
2. Input surfaces,
3. Calculate room,
4. Total of all rooms,
5. Zero room totals.

Menu 1 (line 350) simply prints a list of material choices built into the program library for the user's convenience. Menu 2 (line 450) is used to specify as many layered wall constructions as desired. Each surface is given an identification number. The program prompts for the number of layers and then for the type number and thickness of each layer. Airgaps are permitted. The user may select either a library material, a "formula" material (for which the specific heat and thermal conductivity are specified functions of density) or he may specify all the material properties. After the last layer is specified, the program prompts for the film conductance between the inner surface and the room air. Both radiation-coupled and convection-coupled values of dhc are calculated according to Eq. (3) and are saved in arrays $R1$, $P1$, and $R2$, $P2$, respectively (R refers to magnitude and P refers to phase). Mistakes made while running Menu 2 can be rectified by repeating the menu with the same surface type numbers.

Menu 3 (line 1350) implements the vector summation of $(\text{area}) \times (\text{dhc})$ products as specified in Eq. (4). The user specifies whether the thermal connection is radiative (1) or convective (0).

Menu 4 (line 1770) implements the vector summation of several rooms. Menu 5 (line 250) re-zeros the room totals so that additional calculations can be made without having to re-specify rooms or surface types.

EXAMPLE CALCULATION

Suppose a 200 ft² workshop is enclosed by four walls (180 ft²), a ceiling (200 ft²) and a floor (200 ft²), of which 1/2 is covered by furniture or carpet. The wall is 6-in. concrete and the ceiling is 2-in. wood, each with insulation outside. The floor is 1-in. hardwood laid on a 4-in. concrete slab laid on earth. The room has 30 ft² of direct gain windows facing south. Calculate the clear-day winter temperature swing.

Run the DHC program in order to determine DHC as needed to calculate Eq. (5) for $\Delta T(\text{swing})$. The computer printout is shown below. The first step is to select Menu 2 three times in succession in order to calculate the dhc of each surface type. The layers are described working from the outside inward. The dhc values shown on each line refer to the dhc determined at the inner surface of each successive layer so that the final answer on the last line is the cumulative dhc. The last line (airgap) refers to the inside film coefficient ($h = 1.5 \text{ Btu}/^\circ\text{F ft}^2 \text{ h}$) and is therefore the convective dhc. The line above this gives the radiative dhc. Lag refers to the phase, which is given in hours. For example, the radiative dhc for the floor (surface type 3) is 3.6 Btu/ $^\circ\text{F ft}^2$ with a phase lag of 1.5 hours (22.5"). Note that the earth was represented by adobe properties. The choice of a 24-in. thickness was chosen to represent an essentially infinite thickness for diurnal effects. The total heat capacity (HC) and total mass are also listed.

ROOM TOTALS DERIVED

SURFACE TYPE		1			R	Mass	HC	dhc	Lag
MATERIAL	Thick	Dens.	Cp	f					
CONCRETE, 143	6.0	143	.210	1.000	.5	72	15.0	11.9	4.0
AIRGAP	0.0	0	0.000	0.000	.7	0	0.0	4.4	1.2
TOTAL	6.0				1.2	72	15.0		

SURFACE TYPE		2			R	Mass	HC	dhc	Lag
MATERIAL	Thick	Dens.	Cp	f					
SOFTWOOD	2.0	32	.300	.067	2.5	5	1.8	1.6	4.7
AIRGAP	0.0	0	0.000	0.000	.7	0	0.0	1.4	3.8
TOTAL	2.0				3.2	5	1.8		

SURFACE TYPE		3			R	Mass	HC	dhc	Lag
MATERIAL	Thick	Dens.	Cp	f					
ADOBLE	24.0	120	.200	.332	6.0	240	48.0	5.5	3.0
CONCRETE, 143	4.0	143	.210	1.000	.3	48	10.0	10.3	3.6
HARDWOOD	1.0	45	.300	.092	.9	4	1.1	3.6	1.5
AIRGAP	0.0	0	0.000	0.000	.7	0	0.0	2.2	.9
TOTAL	29.0				7.9	291	59.1		

ROOM IS SHOP

Surf. #	Area	Connection	Mass	HC	DHC	Lag
1	180	1.00	12870	2703	2149	4.0
2	200	1.00	1067	352	321	4.7
3	100	1.00	29142	5914	355	1.5
TOTAL	480		43079	8968	2751	3.7

The next step is to select Menu 3. The wall is surface type 1, the ceiling is surface type 2, and the floor is surface type 3. The final DHC is 2751 Btu/ $^\circ\text{F}$, indicating that the room surfaces will store and return 2751 Btu for each 1 $^\circ\text{F}$ of sinusoidal room temperature swing.

To complete the calculation of $\Delta T(\text{swing})$, we need to know Q_s , the daily transmitted solar radiation per ft² of direct gain glazing. At 40 $^\circ$ latitude, this is about 1440 Btu/ft² per day. A is 30 ft². Therefore, using Eq. (5):

$$\Delta T(\text{swing}) = (0.61)(1440)(30)/(2751) ,$$

$$\Delta T(\text{swing}) = 9.6^\circ\text{F} .$$

This is the peak-to-peak temperature swing to be expected on a clear winter day.

REFERENCES

1. M. G. Davies, "The Thermal Admittance of Layered Walls," *Building Science*, 8, 207-220 (1973).
2. J. D. Balcomb, "Heat Storage and Distribution Inside Passive Solar Buildings," Los Alamos National Laboratory Report LA-9694-MS (1983).
3. J. D. Balcomb, "Prediction of Internal Temperature Swings in Direct Gain Passive Solar Buildings," Proc. Solar World Congress, Perth, Australia, August 14-19, 1983. (Los Alamos National Laboratory internal report LA-UR-83-2246.)

APPENDIX

Program Listing

Standard Hewlett-Packard BASIC. The program requires about 26K of memory.

20 Feb 1984

17:00:41

```

10  I DHC          DIURNAL HEAT CAPACITY
20  I LAYERED WALLS  MULTIPLE PATHS  MULTIPLE ROOMS
30  I AUTHOP: BALCOMB,LOS ALAMOS. 11 6 84
40  OPTION BASE 1
50  DIM D(11),C(11),I(11),M(11)(14)
60  DIM P1(20),P1(20),P2(20),P2(20),P3(20),P3(20),M4(20),M4(20)
70  DEG
80  N1=11
90  DATA 143,.21,1,"CONCRETE, 143N"
100 DATA 140,.209,.822,"BLOCK, 140N"
110 DATA 135,.24,.758,"PAVER BFICI"
120 DATA 120,.2,.417,"BUILDER BFICI"
130 DATA 120,.2,.332,"ADOBE"
140 DATA 95,.19,.19,"SAND"
150 DATA 167,.2,1.85,"GRANITE"
160 DATA 159,.22,.54,"LIMESTONE"
170 DATA 50,.26,.093,"GYPBOARD"
180 DATA 45.3,.092,"HARDWOOD"
190 DATA 32,.33,.067,"SOFTWOOD"
200 FOR I=1 TO N1
210   READ D(I),C(I),I(I),M(I)
220   NEXT I
230   AG=MG=MG=MG=MG=0
240   PRINT
250   PRINT "ROOM TOTALS ZEROED"
260   DISP
270   DISP "1-LIST OF MATERIALS"
280   DISP "2-INPUT SURFACES"
290   DISP "3-CALCULATE ROOM"
300   DISP "4-TOTAL OF ALL ROOMS"
310   DISP "5-ZERO ROOM TOTALS"
320   INPUT "MENU NUMBER",N2
330   IF N2 =0 OR N2>5 THEN 320
340   ON N2 GOTO 350,450,1350,1770,230
350   PRINT
360   PRINT "  # MATERIAL DENSITY Cp I"
370   PRINT USING 430;0,"AIRGAP"
380   FOR I=1 TO N1
390     PRINT USING 430;I,M(I),D(I),C(I),I(I)
400   NEXT I
410   PRINT USING 430;N1+1,"FORMULA"
420   PRINT USING 430;N1+2,"USER SPECIFIED"
430   IMAGE 30,20,14A,6D,2(3D,3D)
440   GOTO 260
450   INPUT "SURFACE TYPE",S
460   INPUT "NUMBER OF LAYERS",N
470   PRINT
480   PRINT "SURFACE TYPE ",S
490   PRINT "MATERIAL      Thicl  Dens.  Cp      I      P      Mass      HC
dnc      Lag"
500   G4=M4=M4=L4=0
510   FOR I=1 TO N
520     INPUT "TYPE, THICKNESS",I,L
530     IF L =0 THEN L=1E-50
540     IF T>0 THEN 640
550     I AIRGAP
560     INPUT "U-VALUE",U
570     IF U=0 THEN U=1E-50
580     R=U
590     Z=0
600     D=C(I)=M=H=0
610     N1="AIRGAP"
620     G4=U
630     GOTO 840

```

I ADMITTANCE
I DIMENSIONLESS THICKNESS
I RESISTANCE

```

640 IF T>N1 THEN 710
650 ! LIBRARY MATERIAL
660 D=D(T) ! DENSITY
670 C=C(T) ! SPECIFIC HEAT
680 K=K(T) ! CONDUCTIVITY
690 N=MS(T)
700 GOTO 790
710 IF T>N1+1 THEN 700
720 ! FORMULA MATERIAL
730 INPUT "DENSITY",D
740 C=1/(3.934+.886*D) ! FORMULA FOR C
750 K=.85*EXP(.82*D) ! FORMULA FOR K
760 N="FORMULA"
770 GOTO 790
780 INPUT "NAME,DENSITY,SPECIFIC HEAT, CONDUCTIVITY",N,D,C,K
790 A=SOR(PI*D*C*K/12) ! ADMITTANCE (INF. THICK)
800 Z=L/12+SOR(PI*D*C/24/K) ! DIMENSIONLESS THICKNESS
810 G=L/12/K ! RESISTANCE
820 M=L/12*D ! MASS
830 H=M*C ! HEAT CAPACITY
840 L4=L4+L
850 G4=G4+G
860 M4=M4+M
870 H4=H4+H
880 IF I=1 AND T=0 THEN 970
890 IF I>1 THEN 1000
900 GOSUB 2160 ! OUTER MASS LAYER
910 X=A1
920 Y=B1
930 GOSUB 1880 ! RECT TO POLAR
940 P=P+45
950 R=R*A
960 GOTO 1160
970 R=A ! OUTER AIR FILM
980 P=0
990 GOTO 1160
1000 IF T=0 THEN 1090
1010 R=R/A ! INNER MASS LAYER
1020 GOSUB 1930 ! POLAR TO RECT
1030 C1=X
1040 D1=Y
1050 GOSUB 1970 ! TRANSFER MATRIX
1060 GOSUB 1880 ! RECT TO POLAR
1070 R=P*A
1080 GOTO 1160
1090 R=P/A ! INNER AIRGAP
1100 GOSUB 1930 ! POLAR TO RECT
1110 C1=X
1120 D1=Y
1130 GOSUB 2110 ! PURE CONDUCTANCE
1140 GOSUB 1880 ! RECT TO POLAR
1150 R=P*A
1160 R=R+12/PI ! CONVERT TO DHC
1170 PRINT USING 1180;N,D,C,K,G,M,H,R,P:15
1180 IMAGE 19A,4D.D,26D.D,8D,6D.D
1190 R=R*PI/12 ! CONVERT TO ADMITTANCE
1200 IF I=N+1 THEN 1280
1210 P1(S)=R*12/PI ! DHC
1220 P1(S)=P ! PHASE
1230 NEXT I
1240 INPUT "FILM CONDUCTANCE",U
1250 T=0
1260 L=0
1270 GOTO 570
1280 PRINT USING 1290;"TOTAL",L4,G4,M4,H4
1290 IMAGE 19A,4D.D,26D.D,8D,6D.D
1300 R2(S)=R+12/PI ! DHC WITH AIR FILM
1310 P2(S)=P ! PHASE WITH AIR FILM
1320 M4(S)=M4
1330 H4(S)=H4
1340 GOTO 260
1350 ! ROOM CALCULATION
1360 A5=M5=H5=X5=Y5=C
1370 INPUT "ROOM NAME:",N5
1380 PRINT
1390 PRINT "ROOM IS "N5
1400 PRINT "Surface Area Connection Mass HC DHC
Lag"
1410 INPUT "NUMBER OF SURFACES":N
1420 FOR I=1 TO N
1430 INPUT "SURFACE TYPE,AREA,THERMAL CONNECTION (0 IS CONVECTIVE, 1 IS RAD
IATIVE)",S,A,C

```

```

1440 IF C<0 THEN C=0
1450 IF C>1 THEN C=1
1460 X1=Y1=0
1470 R=A*R1(S)*C
1480 P=P1(S)
1490 GOSUB 1930 ! POLAR TO RECT
1500 X1=X1+X
1510 Y1=Y1+Y
1520 R=A*R2(S)*(1-C)
1530 P=P2(S)
1540 GOSUB 1930 ! POLAR TO RECT
1550 X=X1+X
1560 Y=Y1+Y
1570 GOSUB 1880 ! RECT TO POLAR
1580 X5=X5+X
1590 Y5=Y5+Y
1600 M5=M5+M4(S)*A
1610 H5=H5+H4(S)*A
1620 A5=A5+A
1630 PRINT USING 1640;S,A,C,M4(S)*A,H4(S)*A,R,P/15
1640 IMAGE 4D,11D,7D,2D,12D,12D,12D,8D.D
1650 NEXT I
1660 X=X5
1670 Y=Y5
1680 GOSUB 1880 ! RECT TO POLAR
1690 PRINT USING 1700;"TOTAL",A5,M5,H5,R,P/15
1700 IMAGE 6A,9D,22D,12D,12D,8D.D
1710 A6=A6+A5
1720 M6=M6+M5
1730 H6=H6+H5
1740 X6=X6+X
1750 Y6=Y6+Y
1760 GOTO 260
1770 ! TOTALS OF ALL ROOMS
1780 X=X6
1790 Y=Y6
1800 GOSUB 1880 ! RECT TO POLAR
1810 PRINT
1820 PRINT "SUBTOTAL OF ALL ROOMS"
1830 PRINT USING 1840;"AREA=",A6," MASS=",M6," HC=",H6," DHC=",R," Lag=",
P 15
1840 IMAGE 5A,6D,7A,7D,5A,7D,6A,7D,6A,4D.D
1850 GOTO 260
1860 END
1870 ! SUBROUTINES
1880 ! RECT TO POLAR
1890 R=SQR(X^2+Y^2)
1900 P=ATN(Y/X)
1910 IF X<0 THEN P=P+180
1920 RETURN
1930 ! POLAR TO RECT
1940 X=R*COS(P)
1950 Y=R*SIN(P)
1960 RETURN
1970 ! TRANSFER MATRIX
1980 GOSUB 2160 ! Tanh
1990 X=A1-B1+C1+SQR(2)
2000 Y=A1+B1+D1*SQR(2)
2010 GOSUB 1880 ! RECT TO POLAR
2020 R1=R
2030 P1=P
2040 X=A1+C1-B1+D1+B1+C1+A1+D1+SQR(2)
2050 Y=B1+D1+B1+C1+A1+D1-A1+C1
2060 GOSUB 1880 ! RECT TO POLAR
2070 R=P1/P
2080 P=P1-P
2090 GOSUB 1930
2100 RETURN
2110 ! PURE CONDUCTANCE
2120 D3=C1^2+2*C1+1+D1^2
2130 X=(C1^2+C1+D1^2)/D3
2140 Y=D1/D3
2150 RETURN
2160 ! Tanh((1+i)*Z)
2170 RAD
2180 S2=(EXP(Z)-EXP(-Z))/2
2190 C2=(EXP(Z)+EXP(-Z))/2
2200 S3=SIN(Z)
2210 C3=COS(Z)
2220 D3=(C2*C3)^2+(S2*S3)^2
2230 A1=S2*C2*D3
2240 B1=S3*C3/D3
2250 DEG
2260 RETURN
2270 ! END SUBROUTINES

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